

In the presented summary work we study the inverse problem in additive number theory. More specifically, we try to characterize sets  $A$  of positive integers if we know some information about their sumsets  $2A = A + A$ . At the beginning we devote some time to finite sets with the property  $|2A| = 2|A| - 1$ , then we solve a generalized problem for such abelian groups  $G$  in whose order of all elements is bounded by a constant and their subsets  $A$  satisfying  $|2A| \leq c|A|$ . At the end we present the famous Freiman theorem, which describes sets of positive integers  $A$  small in the sense  $|2A| \leq c|A|$ . We prove this theorem and give some corollaries and applications.