

The aim of this work is to show, having three different spaces and a set of elements with some common property in each one of them that the given set is the set of typical elements in that space. First we will show that a typical continuous function defined on the interval  $[0; 1]$  is a nowhere differentiable one. Then we will show that a typical compact set in  $\mathbb{R}^2$  is a discontinuum. And lastly, we will show that a typical planar continuum is an indecomposable one. A valuable tool will be the Baire theorem, the use of which will ensure, besides the density, also the fact that the given set is a countable intersection of open sets.